

## Test Review: Transformational Geometry

1. Which of the following words means the same size and same shape?

- a. Similar      b. compare      c. congruent      d. translate

2. Describe in words each of our rules for:

a. Rotating 90° <sup>counterclockwise</sup> switch the x & y coordinates and change the y to its opposite sign  
 $(x, y) \rightarrow (-y, x)$

b. Reflecting over the x-axis.

Keep the x the same and change y to its opposite sign  $(x, y) \rightarrow (x, -y)$

c. Translating right 3 and then down 2.

add three to the x coordinate and subtract two from the y.  
 $(x, y) \rightarrow (x+3, y-2)$

3. The police use maps to track their patrol cars. One police car radioed in their position to be (15, 21). One hour later they were at a location of (-10, 16).

a. Describe the translation in words.

They went left (west) 25 and down (south) five.

b. Describe the translation using symbols.

$$(x, y) \rightarrow (x-25, y-5)$$

4. When you rotate a figure it gets bigger.

TRUE or FALSE

Justify:

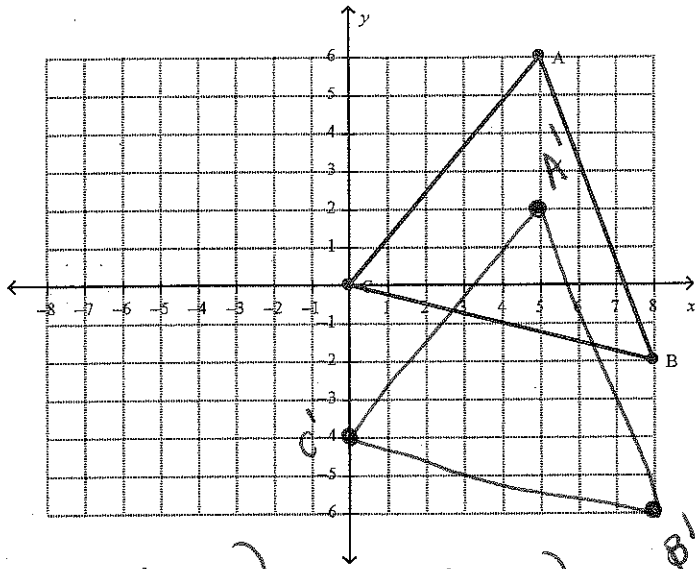
5. Explain the difference between a "pre-image" and an "image".

The pre-image is the first figure & the image is the figure after the transformation.

6. Complete the following transformations for each shape, by completing the following...

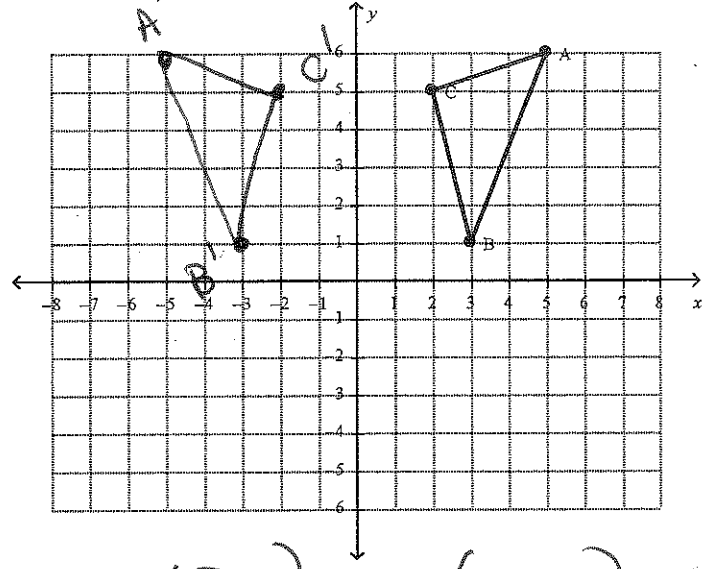
- Identify the pre-image coordinates.
- Find the image coordinates.
- Draw the new shape and label the vertices. (A' or x'...)

a. Translate 4 DOWN.



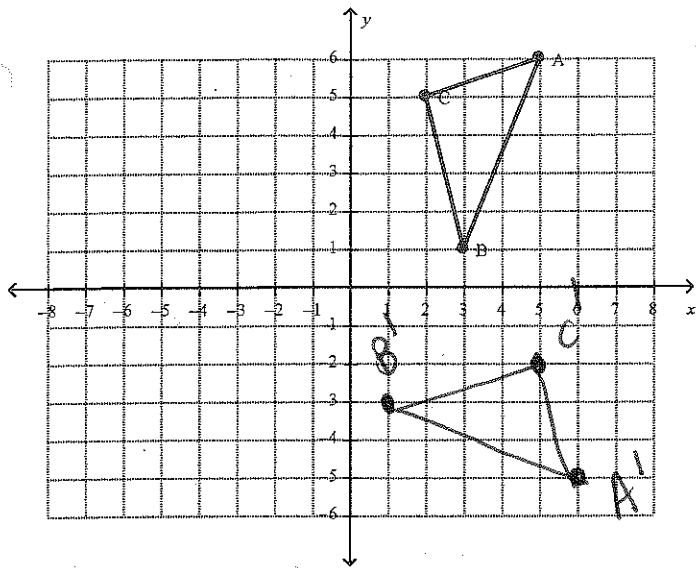
A (5, 6)      A' (5, 2)  
 B (8, -2)      B' (8, -6)  
 C (0, 0)      C' (0, -4)  
 Rule:  $(x, y) \rightarrow (x, y - 4)$

B. Reflect over the y-axis.



A (5, 6)      A' (-5, 6)  
 B (3, 1)      B' (-3, 1)  
 C (2, 5)      C' (-2, 5)  
 Rule:  $(x, y) \rightarrow (-x, y)$

c. Rotate 270 degrees *counterclockwise*



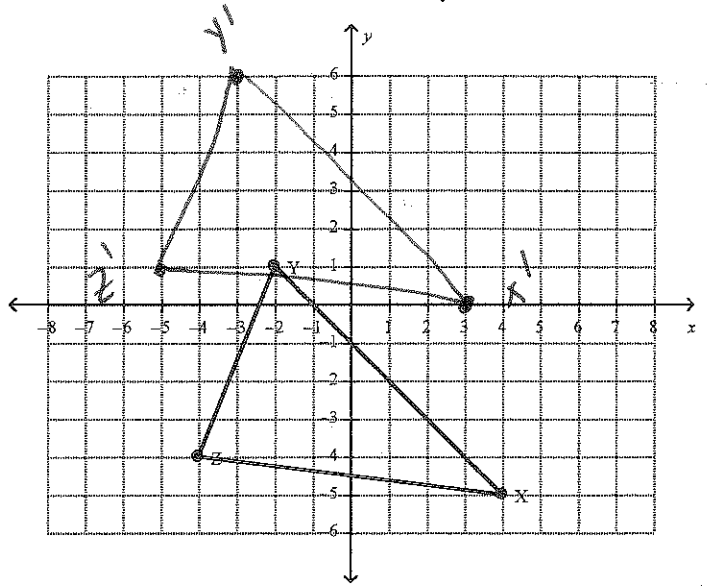
A (5,6)      A' (6,-5)

B (3,1)      B' (1,-3)

C (2,5)      C' (5,-2)

Rule:  $(x,y) \rightarrow (y,-x)$

d. Translate 1 left and 5 up



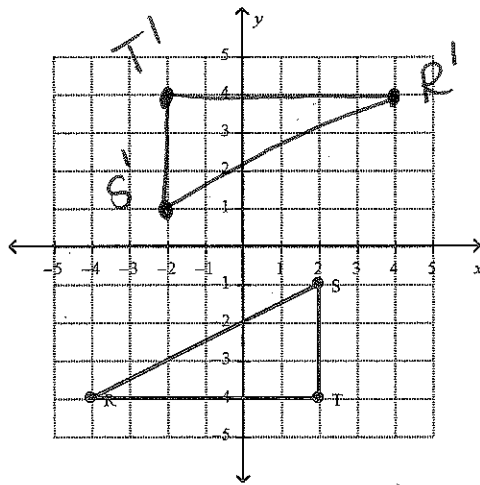
X (4,-5)      X' (-3,0)

Y (-2,1)      Y' (-3,6)

Z (-4,-4)      Z' (-5,1)

Rule:  $(x,y) \rightarrow (x-1, y+5)$

a. Rotate 180° *counterclockwise*



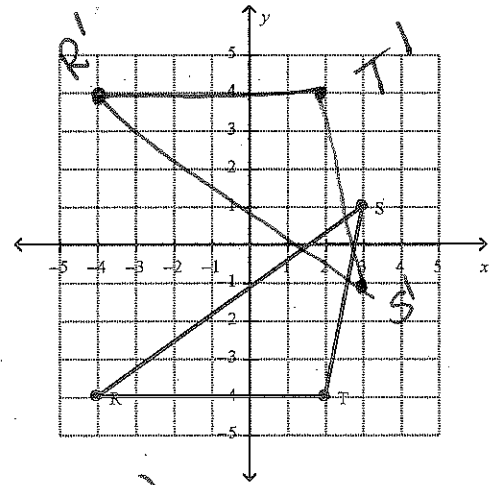
R (-4,-4)      R' (4,4)

S (2,-1)      S' (-2,1)

T (2,-4)      T' (-2,4)

Rule:  $(x,y) \rightarrow (-x,-y)$

f. Reflect over the x-axis



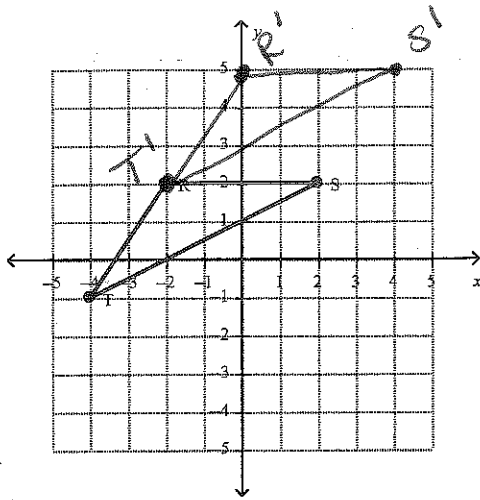
R (-4,-4)      R' (-4,4)

S (2,-1)      S' (2,1)

T (2,-4)      T' (2,4)

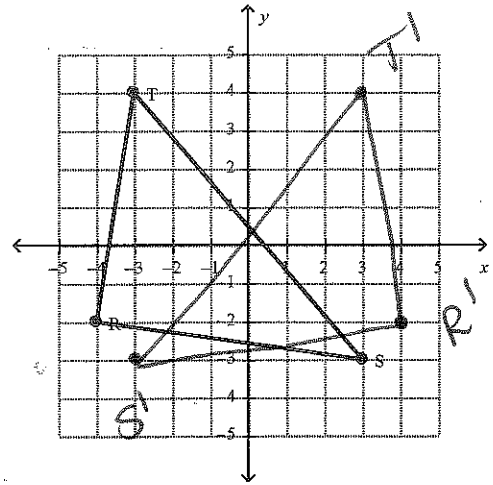
Rule:  $(x,y) \rightarrow (x,-y)$

g. Translate 2 right and 3 up



R  $(-2, 2)$       R'  $(0, 5)$   
 S  $(2, 2)$       S'  $(4, 5)$   
 T  $(-4, -1)$     T'  $(-2, 2)$   
 Rule:  $(x, y) \rightarrow (x+2, y+3)$

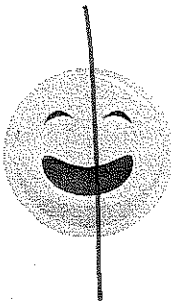
h. Reflect over the y-axis.



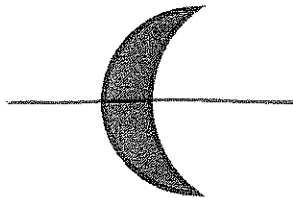
R  $(-4, -2)$       R'  $(4, -2)$   
 S  $(3, -3)$       S'  $(-3, -3)$   
 T  $(-3, 4)$       T'  $(3, 4)$   
 Rule:  $(x, y) \rightarrow (-x, y)$

7. Draw all lines of symmetry for the following figures.

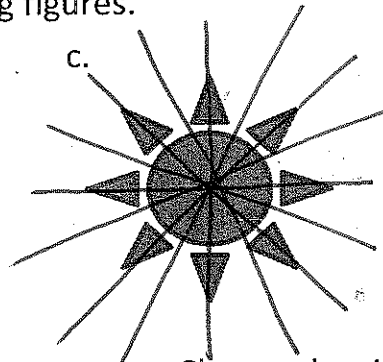
a.



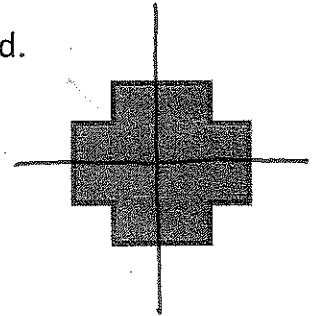
b.



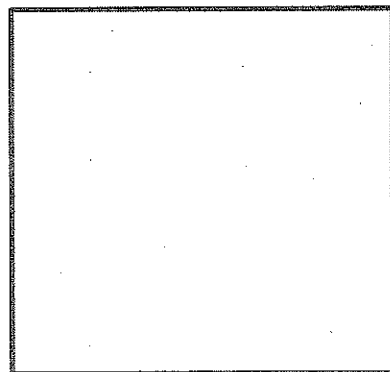
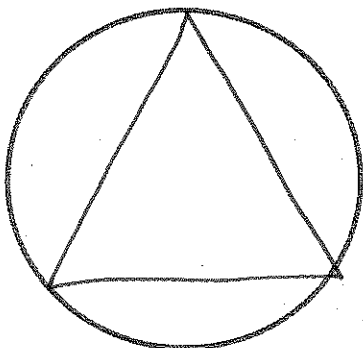
c.



d.



8. Create a design that will have reflectional symmetry. Choose the circle or the square to make your design.



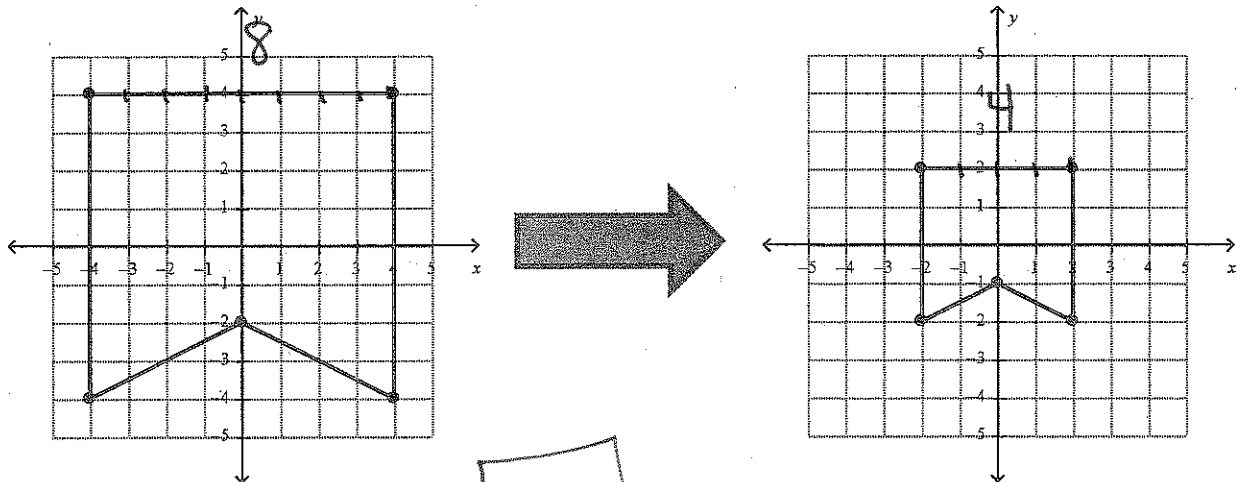
9. For each of the following pairs of points, identify the transformation. Was it a rotation (how much), was it a reflection (over which line), was it a translation (which way and how much)?

	Pre-Image	Image	Transformation
a.	(6,8)	(8,-6)	Rotation $270^\circ$ counterclockwise
b.	(-20,-3)	(-25,0)	Translate left 5 and up 3.
c.	(-7,100)	(-100,-7)	Rotate $90^\circ$ counterclockwise
d.	(3,-12)	(3,12)	Reflect over the x-axis
e.	(0,0)	(-6,15)	Translate 6 left + 15 up
f.	(14,-62)	(62,14)	Rotate $90^\circ$ counterclockwise

10. Fill in the missing image points.

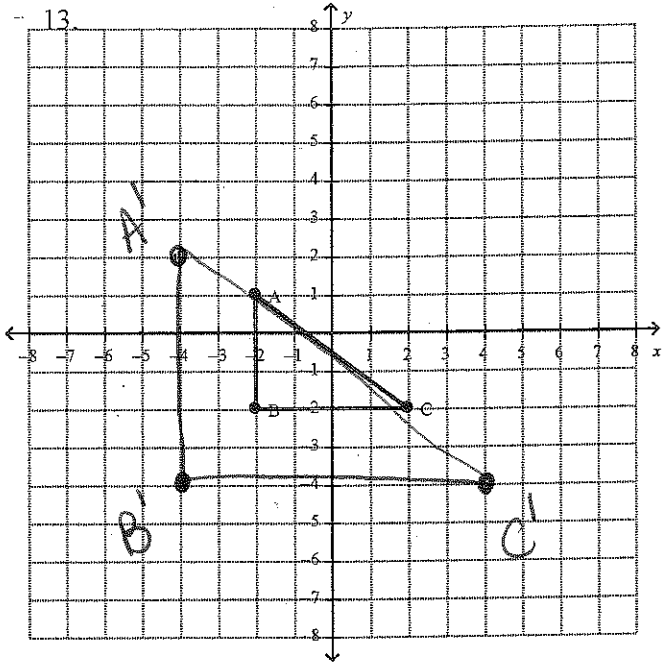
	Pre-Image	Transformation	Image
a.	(6,8)	Translate right 7 and down 12	(13,-4)
b.	(-20,-3)	Rotate $270^\circ$ counterclockwise	(-3,20)
c.	(-7,100)	Reflection over the x-axis.	(-7,-100)
d.	(3,-12)	Rotate $180^\circ$ counterclockwise	(-3,12)
e.	(0,0)	Translate 4 left.	(-4,0)
f.	(14,-62)	Reflection over the y-axis.	(-14,-62)

11. Find the scale factor of the dilation pictured below.



$$\frac{4}{8} = \frac{1}{2}$$

12. Consider the pre-image on the graph and the information below. Draw in the image and fill in the pre-image and the image coordinates.



Center of Dilation (0, 0)

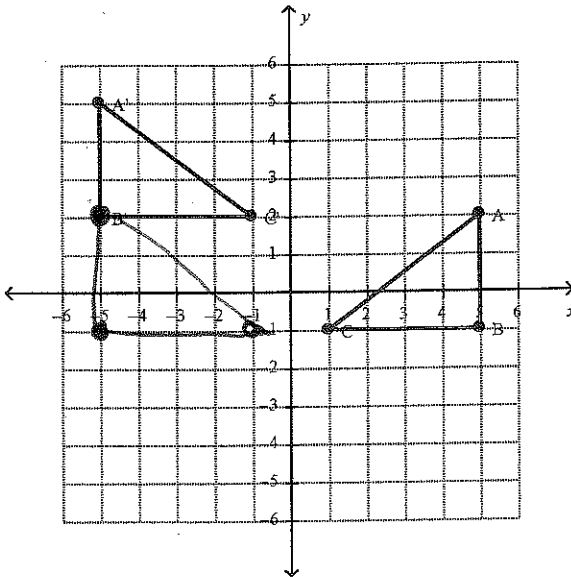
Scale Factor = 2

Pre-Image	Image
A (-2, 1)	A' (-4, 2)
B (-2, -2)	B' (-4, -4)
C (2, -2)	C' (4, -4)

Rule:  $(x, y) \rightarrow (2x, 2y)$

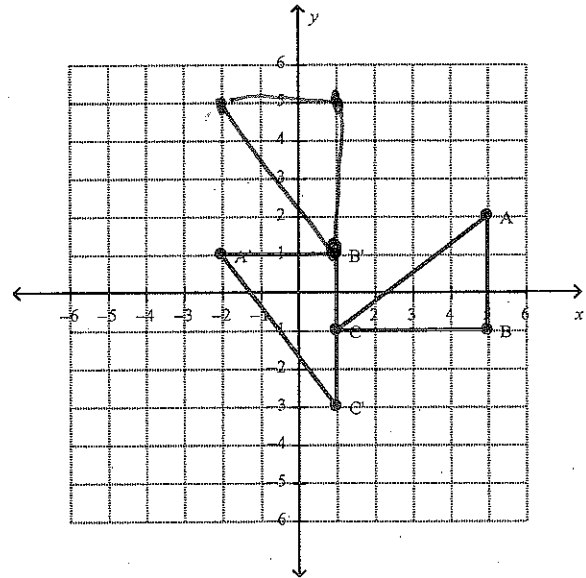
14. Describe the sequence of transformations illustrated in each graph below.

a.



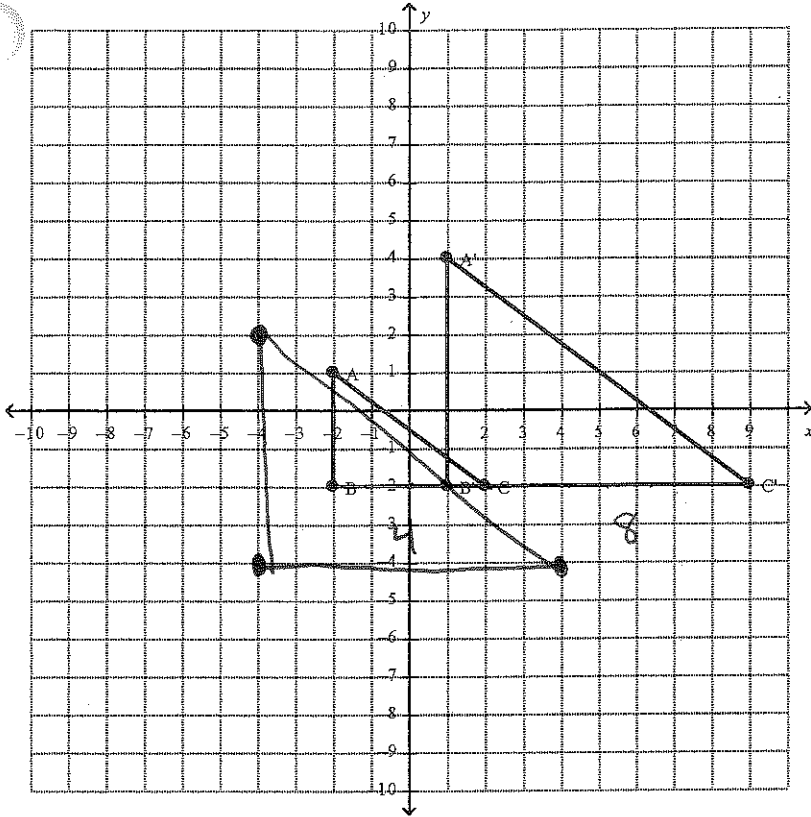
- 1) Reflect over the y-axis
- 2) Translate up 3 units

b.



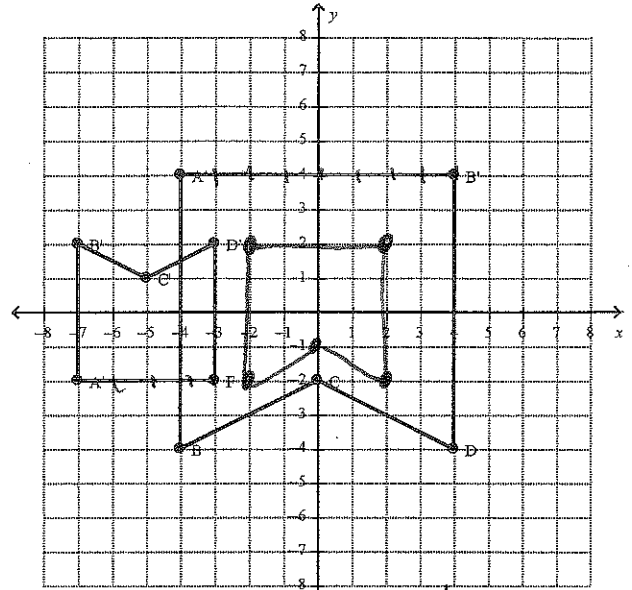
- 1) Rotate  $90^\circ$  counterclockwise
- 2) Translate down 4 units

c.



- 1) Dilate by a scale factor of 2
- 2) Translate right 5 and up 2

d.



(use the large figure as the pre-image)

- 1) Dilate by a scale factor of  $\frac{1}{2}$
- 2) Rotate  $180^\circ$
- 3) Translate left 5 units